## Steven Zucker: Motivic boundaries of Shimura varieties.

Let X be an incomplete algebraic variety over  $\mathbb{C}$ . If Y is an algebraic compactifiction (completion) of X, then the boundary  $\partial_Y X$  underlies a motive over Y. In the case where X is a connected Shimura variety, familiar algebraic compactifications of X are its Baily-Borel Satake compactification  $X^{BB}$  and (selected) toroidal compactifications of Mumford et al. The non-algebraic reductive Borel-Serre compactification  $X^{RBS}$  of X has asserted its presence for some thirty years now. We show how its cohomology is Voevodsky-motivic over  $X^{BB}$ . Moreover, this motivic is a canonical motive associated to  $X^{BB}$ . The preceding is joint work with Joseph Ayoub.